



Advanced FBGs for sensing and dispersion control

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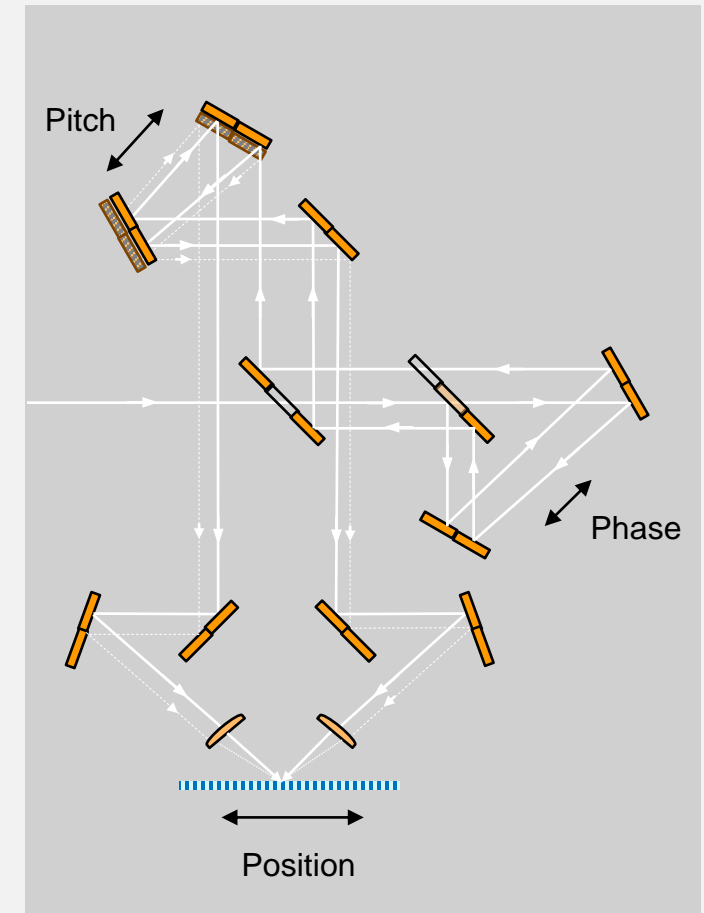
Who are Proximion?

- Part of Hexatronic Group, consisting of 54 companies and 1700 employees world-wide
- World leading manufacturer of long FBG for telecom and sensing, founded 1999.
- Factory and research center located in Kista outside of Stockholm, Sweden
- Large 1500 sqm clean-room with 14 grating writing machines
- 100 000+ FBG-products for dispersion control deployed in existing telecom networks
- 100+ industrial sensor system installations for temperature and strain-measurement operating world-wide

We specialize in customized gratings and full integration of FBG systems

What's special about Proximion's FBGs?

- Unique SW controlled manufacturing process – no masks required!
- Maximal length of 40m continuous FBG
- Continuously chirped grating
 - Tailored dispersion from 1ps/nm up to 50 000ps/nm
 - Wavelength range ~1000nm up to 2000nm
- Filter gratings
 - Arbitrary apodisation profiles i.e.for steep-edge filters
 - Absolute frequency accuracy
 - Reflectance range from ~0.1% to 100% (T>100dB)
- FBG arrays
 - Up to ~1000 FBGs on a single fiber
 - Flexible spacing and apodisation for high SMSR
 - Long-term stable sensors for ~10K to 650C operation



FBG usage today

- Dispersion compensation

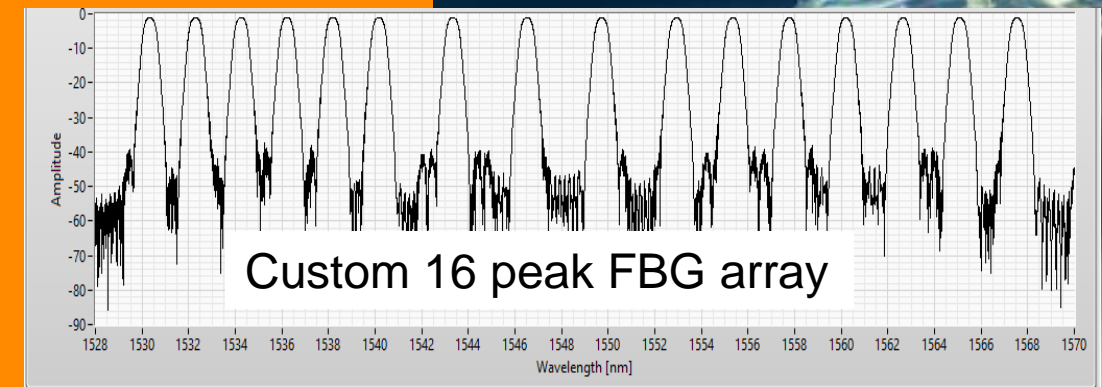
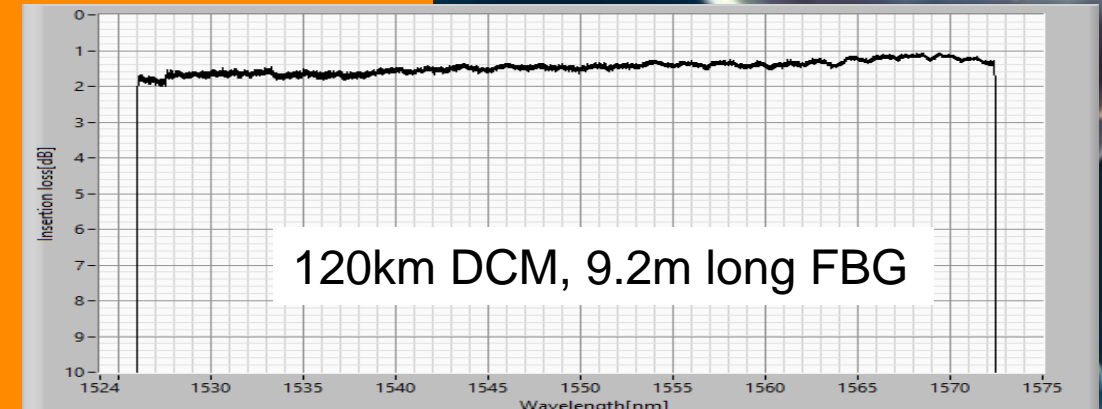
- Continuous chirped FBGs
- Channelized chirped FBGs
- Dispersion emulators for coherent training

- Sensing

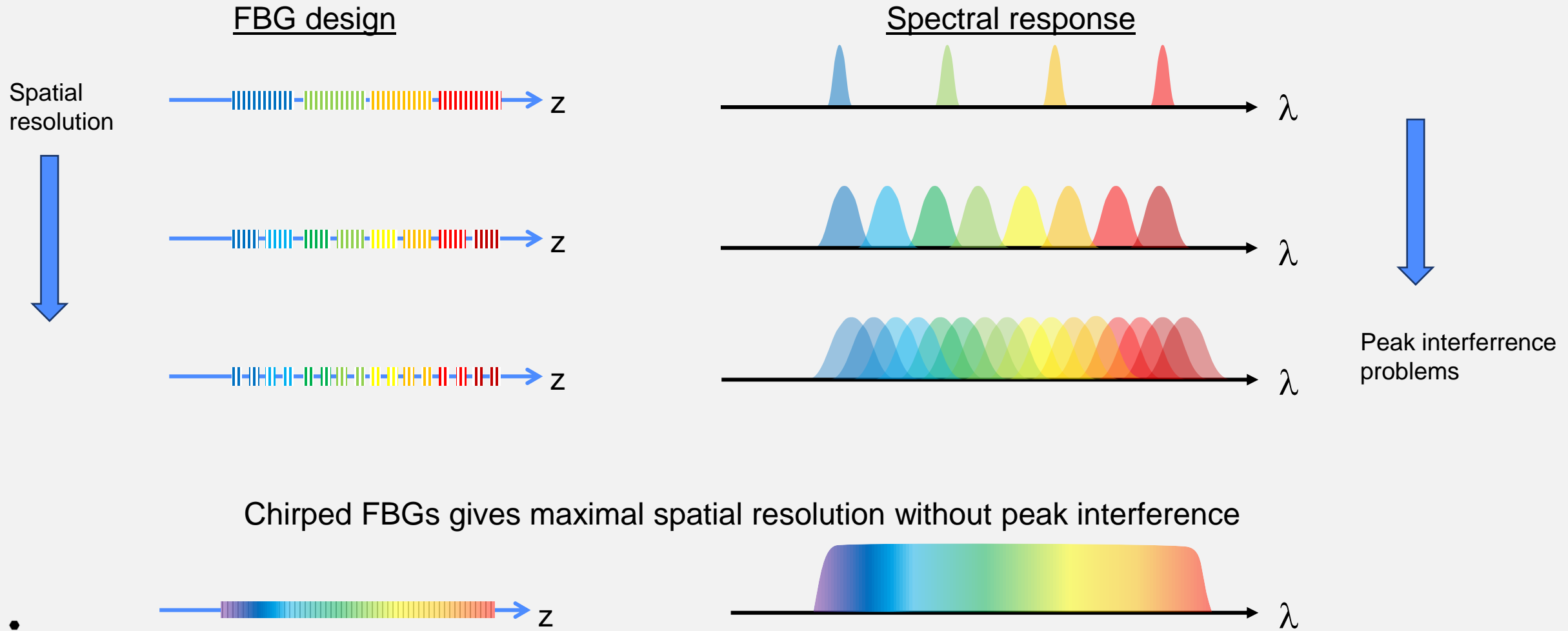
- Discrete FBG arrays for temperature and strain
- Single FBG for acceleration, pressure etc
- Continuous FBGs for shape sensing

- Fiberlaser

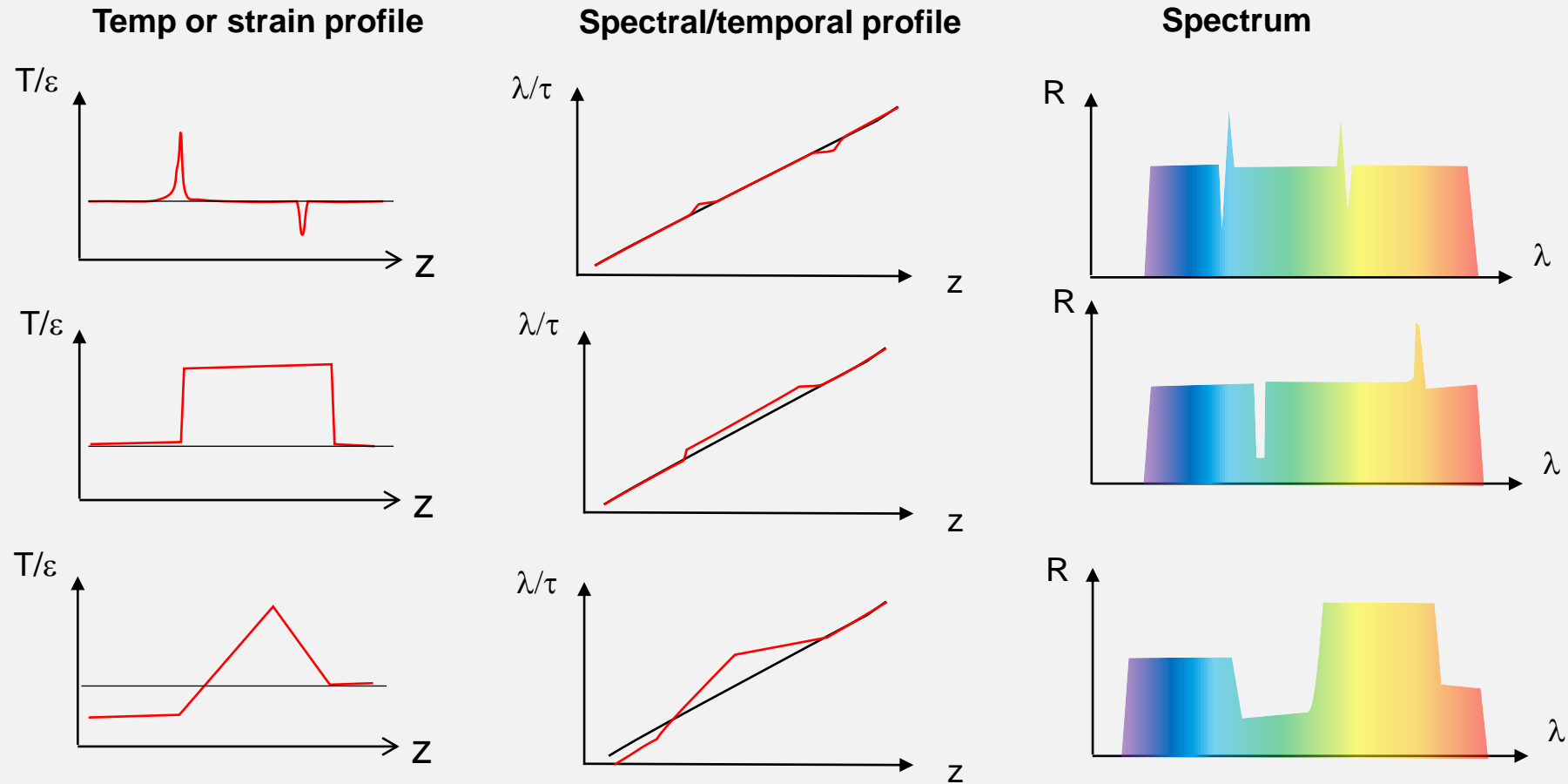
- High and low reflectance mirrors
- Optical filters
- Pulse stretching/compression



Rational for using chirped FBGs as temperature sensor?



Spectral response of a chirped FBGS sensor



Algorithm

$$\varepsilon(t) = \frac{1}{1 - p_e} \cdot \frac{\lambda^s(\tau) - \lambda(t)}{\lambda(t)}$$

$$\frac{d\tau}{dt} = \frac{\lambda^s(\tau)}{\lambda(t)}$$

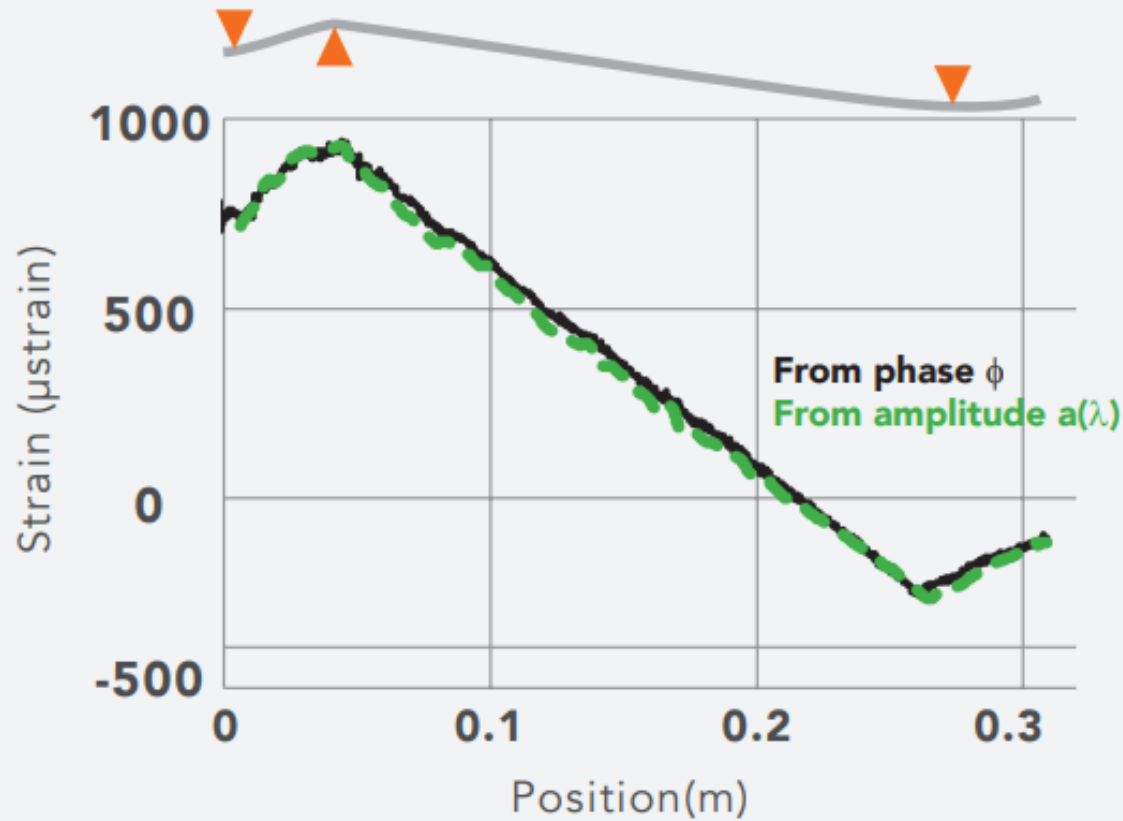
$$\frac{d\lambda^s}{d\lambda} = \frac{\ln[1 - R(\lambda)]}{\ln[1 - R^s(\lambda^s)]}$$

$$\frac{d\varepsilon}{dz} = \frac{\chi}{\lambda \cdot (1 - p_e)} \cdot \left(\frac{d\lambda^s}{d\lambda} - 1 \right)$$

- Either phase or amplitude measurement possible

Example A: Strain sensing of a composite beam

Strain sensor 0.35 m



Phase measurement

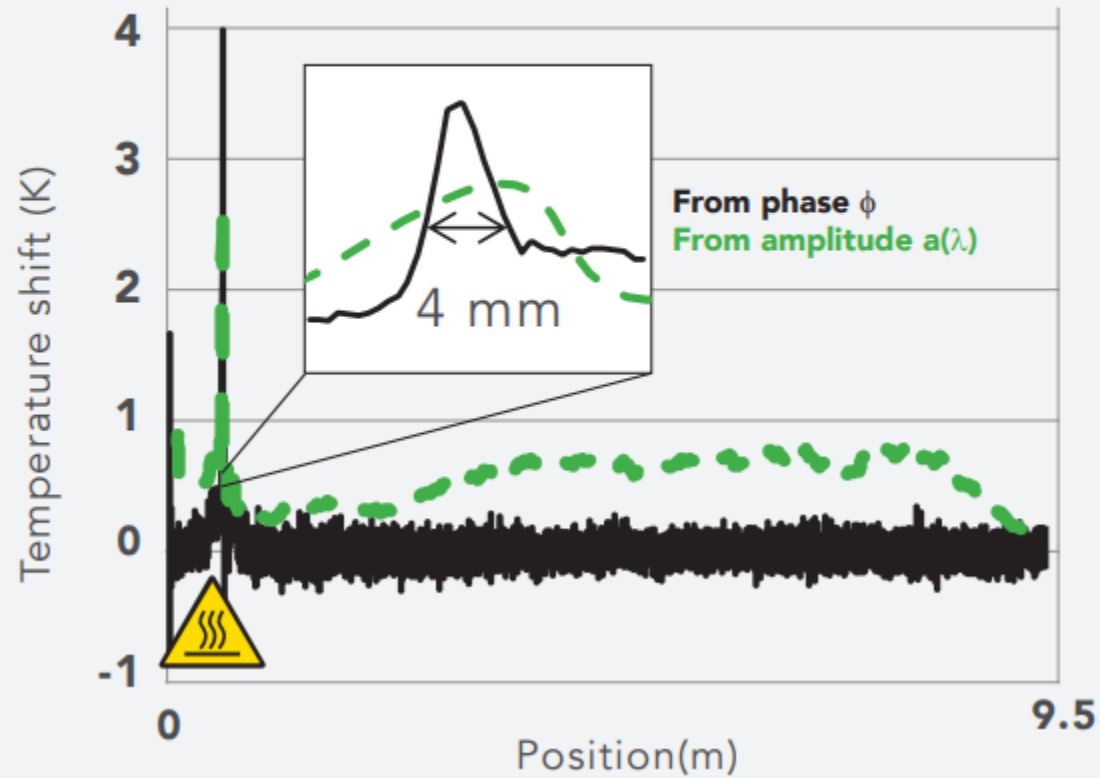
- OFDR (Luna)

Amplitude measurement

- Wistsense (Proximion)

Example B: Hot spot detection

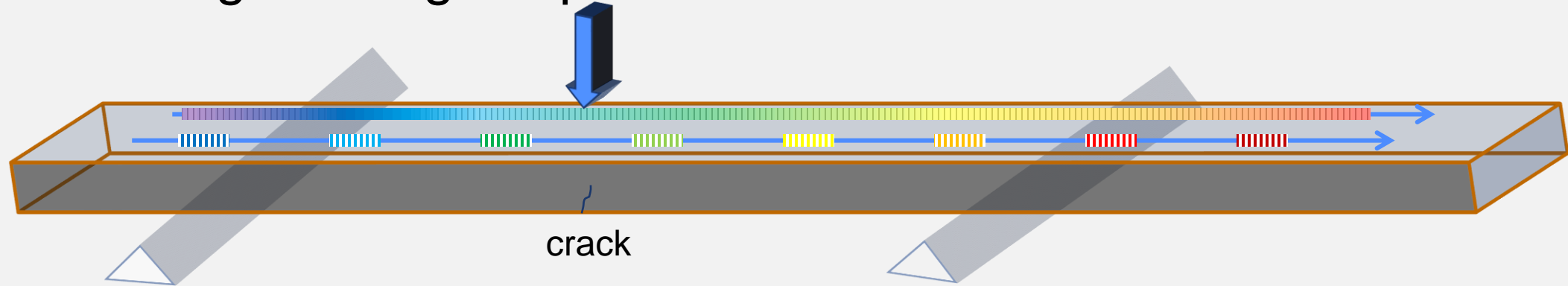
Temperature sensor 9.5 m



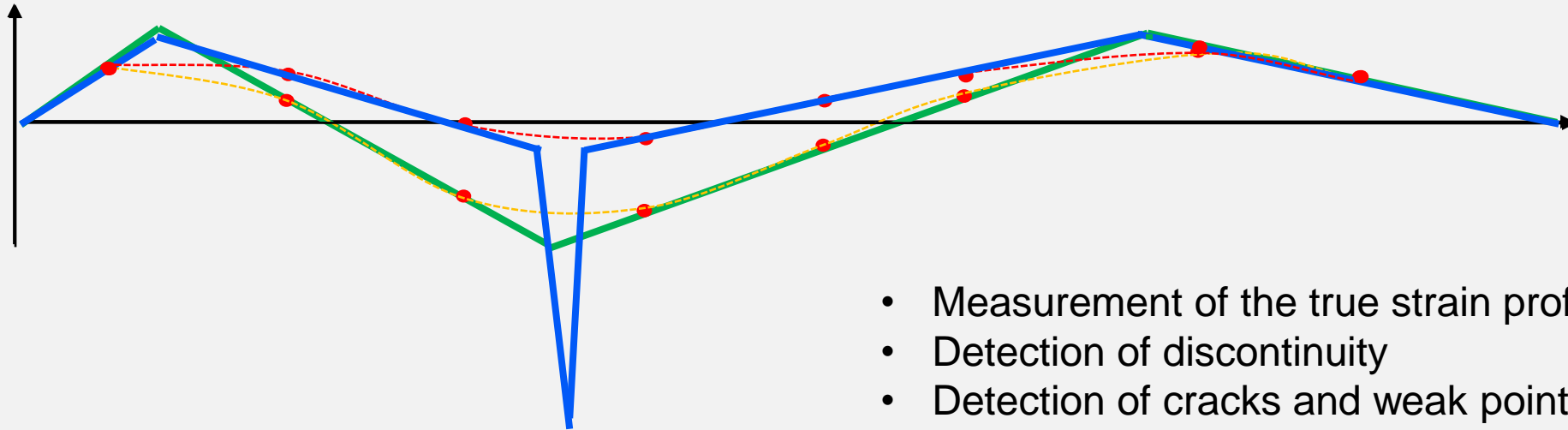
- Tested grating is 9.5m long
- Detected hot-spot size ~4mm
- Position accuracy ~1mm

⇒ 2500 spatial sensor points
⇒ 1 mm spatial resolution

Advantages using chirped FBG as strain sensor



strain



- Measurement of the true strain profiles
- Detection of discontinuity
- Detection of cracks and weak points

Comparison discrete vs continuous FBG

Discrete FBG array

- + Standard method
- + Peak detection algorithm
- Limited number of peaks
- High spatial resolution takes a lot of bandwidth
- Long sensors have dead spots

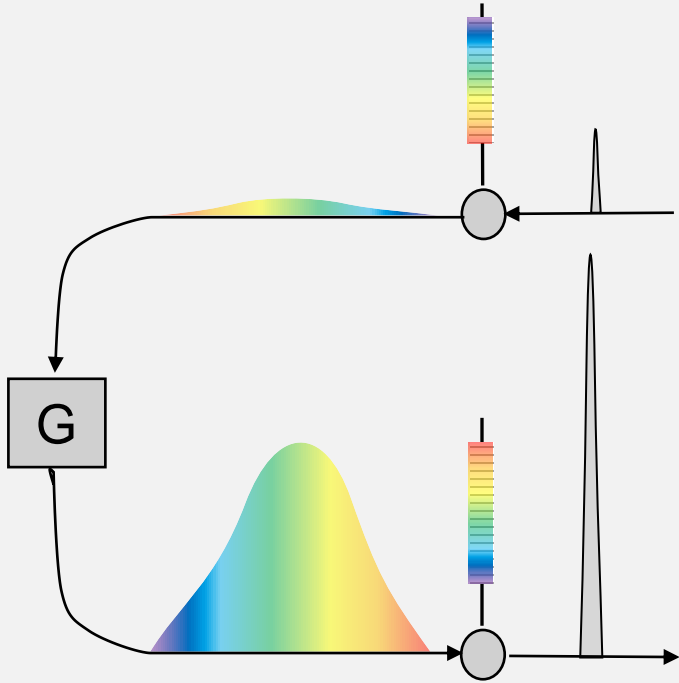
Continuous chirped FBGs

- Non-standard method
- Full spectrum analysis required
- + Infinite number of peaks
- + Maximal possible spatial resolution
- + No dead spots on the sensor

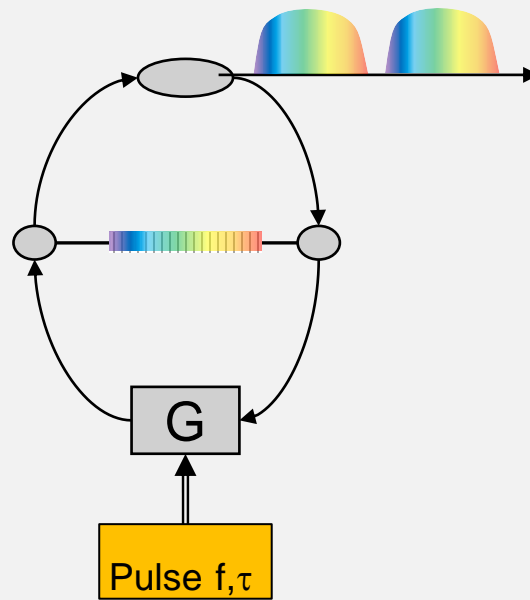
Continuously chirped sensors are great for some, but not all application!

Traditional (non-telecom) applications for chirped FBGs

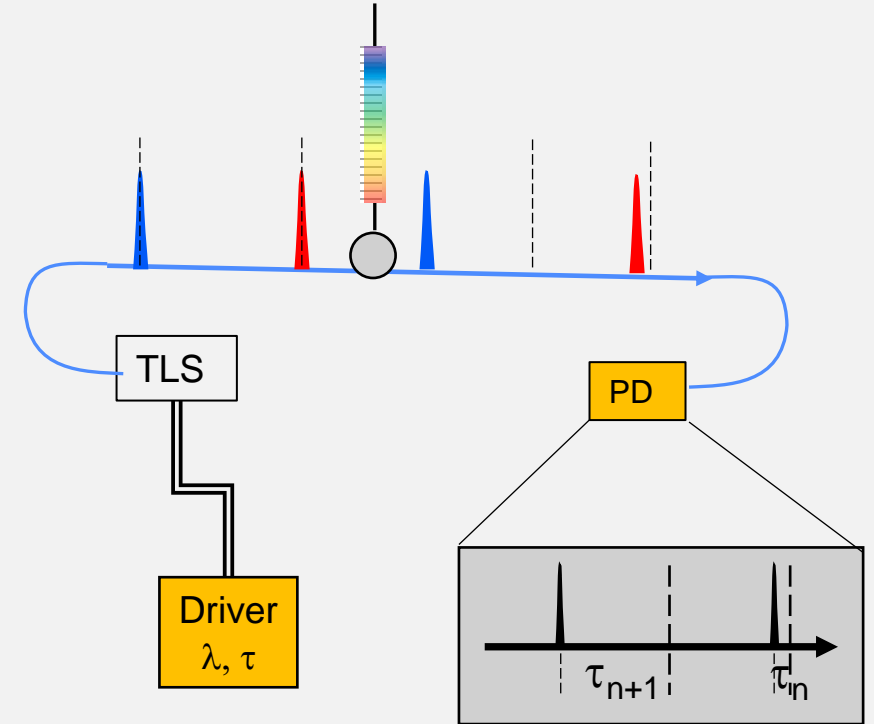
- Chirped pulse amplification



- Swept light sources (OCT)



- Variable delay lines



No standard products – FBG needs to be tailormade for each system system



Proximion

Q & A

- Are you currently using any FBGs today?
- What kind